# SEMESTER PROJECT 

MBA 506 | Team 13

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## Executive Summary

Team 13 of MBA 506 was tasked with analyzing a multitude of data gathered from a survey given to students in Math and Portuguese courses. In this report, there were several questions that needed to be answered using confidence intervals and hypothesis testing.

We analyzed the following confidence intervals: 90\% confidence interval for the age of the students; 99\% confidence interval for the final grade; and a 95\% confidence interval for number of absences and workday alcohol consumption. We found the confidence intervals to be (16.3914, 16.8086), (10.1609, 12.1314), (2.7569, 6.2957), and (1.1848, 1.5309), respectively.

We also performed hypothesis testing on the following questions: do students whose parents live together get better grades (alpha $=0.05$ )?; do students with internet access get better grades (alpha=0.01)?; are the math grades between the two schools different (alpha=0.1)?; do students who consume higher levels of alcohol on work days get worse grades?; and do students who attended nursery school get better grades?

To answer all of these hypotheses, we analyzed the data using a t-test using a sample of 95 data points out of the entire population. For the first hypothesis, we found that there is not sufficient evidence to suggest that students whose parents live together get better grades. For the second hypothesis there is a discrepancy between the sample and population t-tests-- the sample t-test indicated we fail to reject the null hypothesis and the population t-test indicates we reject the null hypothesis. Based on the population having more data points, we indicate that there is a significant difference and we conclude that those with internet access do indeed get better grades. This is a Type I error. For the third hypothesis, there is not sufficient evidence to suggest that the math grades between the two schools are different.

For the fourth hypothesis, there is a discrepancy between the sample and population t-tests-- the sample ttest shows that we fail to reject the null hypothesis but the population t-test indicates that we should reject the null hypothesis. Due to the population being larger than the sample, we conclude that we should reject the null hypothesis, confirming that those who drink more on workdays get worse grades. This is a Type II error. For the fifth hypothesis there is also a discrepancy-- the sample t-test indicates we should reject the null hypothesis, but the population t-test indicated we should fail to reject the null hypothesis. Again, due to the higher amount of data points, we will conclude that we fail to reject the null hypothesis and that there is no indication that students that attend nursery school get better grades. This is a Type I error.

Team 13 hopes that management finds this information, as well as the attached graphs, useful in their forthcoming assessment.

## DATA ANALYTICS

IN THIS SECTION WE HAVE CREATED TEN GRAPHS OF AT LEAST
FOUR DIFFERENT TYPES THAT ILLUSTRATE USEFUL INFORMATION ABOUT THE DATA.

## Graph details

| \# | Graph Title | Graph TYpE |
| :---: | :---: | :---: |
| 1 | Schools serving urban and rural areas | Pie Chart |
| 2 | Student failures to study time grouped by gender | Bar graph |
| 3 | Effect of internet availability on student grades | Histogram |
| 4 | Effect of Nursery School Education on Student' Final Grades | Scatter plot |
| 5 | Effect of Weekday Alcohol Consumption on Mean Final Grade | Line Graph |
| 6 | Distribution of Grades for Math and Portuguese grouped by School | Box plot |
| 7 | Effect of Absences over Final Grades(G3) | Scatter plot |
| 8 | Distribution of Grades by Student Age | Bar Graph |
| 9 | Frequency Distribution of Grades and Relationship VS No Relationship | Histogram |
| 10 | Percentage of Internet Users | Bar graph |

## SCHOOL SERVING DEMOGRAHIC AREAS

RURAL VS. URBAN


In this graph we show how the two schools, 'GP' - Gabriel Pereira or 'MS' -
Mousinho da Silveira are serving the rural and the urband areas. Gabriel Pereira almost has a 50-50 distribution of students for rural and urban areas where as Mousinho da Silveira largely serves the urban area.

## STUDENT FAILURES TO STUDYTIME GROUPED BY GENDER



This graph shows the relationship with study times and failures and how it effects the male and female demographics. Even though it shows more you study, less your chances of failing for both the groups but the rate of failure in males are higher than females.

## Effect of internet availability on student grades



The Histogram compares effects of internet availability on student grades. They are skewed left with outliers.

## Effect of Nursery School Education on Student' Final Grades



This Scatter Plot above represents students' final grades, separating them into those that did and did not attend nursery school. At a glance you can see that nursery school appears to have no impact on the final grade distribution.

## Effect of Weekday Alcohol Consumption on Mean Final Grade



The Line Graph above represents students' average final grades, based on their workday alcohol consumption, 1 being very low and 5 being very high. Judging from this visualization, it appears that higher levels of workday alcohol consumption are correlated with lower average grades.

## Distribution of Grades for Math and Portuguese grouped by School



The above box plot shows the distribution of grades between the two school for each subject. The distributions are relatively similar, with the means hovering around 10-13 for each school in each subject.

## Effect of Absences over Final Grades(G3)



The scatter plot above shows the relationship between the number of absences a student has and the final grade they receive. The data is generally random but there is a there is a correlation between grades and the absences. The correlation is negative as the absences increases the grades decreases. $R^{2}: 0.0002$

## Distribution of Grades by Student Age



The above bar chart depicts the mean grade of each age group. As shown, 20-year-olds performed the best on average while 22-year-olds performed the worst.

## Frequency Distribution of Grades and Relationship VS No Relationship

Frequency Distribution of Grades and Relationship VS No Relationship


The Histogram compares the frequency distributions of
Relationship and grade distribution and No Relationship and grade distribution. They are skewed left with outliers.

## Percentage of Internet Users



The box plot shows a little over $80 \%$ students does have internet and about $20 \%$ do not have access to internet

## CONFIDENCE INTERVAL

THE CONFIDENCE INTERVALS BELOW WERE CALCULATED BY FIRST CREATING A RANDOM SAMPLE IN JMP PRO 14.1.0. THE SAMPLE SIZE IS 95 OBSERVATIONS.

## A 90\% confidence interval for the age of the students

| Distributions |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| age |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | Quantiles |  |  | Summary Statistics |  | Confidence Intervals |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 100.0\% | maximum | 20 | Mean 16.6 |  | Parameter Estimate Lower CI Upper CI 1-Alpha |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 99.5\% |  | 20 | Std Dev | 1.2238759 | Mean <br> Std Dev | $\begin{array}{r} 16.6 \\ 1.223876 \end{array}$ | $\begin{array}{r} 16.3914 \\ 1.094055 \end{array}$ | $\begin{aligned} & 16.8086 \\ & 1.39224 \end{aligned}$ | $\begin{aligned} & 0.900 \\ & 0.900 \end{aligned}$ |
|  |  |  |  |  |  |  |  |  | 97.5\% |  | 19 | Std Err Mean | 0.125567 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 90.0\% |  | 18 | Upper 95\% Mean | 16.849316 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 75.0\% | quartile | 18 | Lower 95\% Mean | 16.350684 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 50.0\% | median | 16 | N | 95 |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 25.0\% | quartile | 16 |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 10.0\% |  | 15 |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 2.5\% |  | 15 |  |  |  |  |  |  |  |
|  | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 0.5\% |  | 15 |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  | 0.0\% | minimum | 15 |  |  |  |  |  |  |  |

The $90 \%$ confidence interval for a sample size of 95 is (16.3914, 16.8086).


Population mean $=16.72$ Sample mean $=16.66$
Sampling error $=16.66-16.72=-0.06$

## A 99\% confidence interval for the final grade (G3)



The 99\% confidence interval for a sample size of 95 is (10.1609, 12.1314).


Population mean $=11.34$ Sampling mean $=11.14$
Sampling Error $=11.14-11.34=-0.2$

## A 95\% confidence interval for the number of absences students have.



The 95\% confidence interval for a sample size of 95 is (2.7569, 6.2957).


Population mean $=4.43$ Sample Mean $=4.52$

$$
\text { Sampling error }=4.52-4.43=0.09
$$

## A 95\% Confidence interval for the Workday Alcohol Consumption of Students (Dalc)

| Distributions |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Dalc |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| $1 \diamond 1$ |  | 1 | ' | 8 |  | Quantiles |  |  | Summary Statistics |  | Confidence Intervals |  |  |  |  |
|  |  |  |  |  | 100.0\% maximum |  | 5 | Mean 1.3578947 |  | Parameter Mean | Estimate Lower Cl <br> 1.3578951 .184847 <br> 0.8494780 .743476 |  | Upper Cl 1.530942 0.991011 | $\begin{array}{r} \text { 1-Alpha } \\ 0.950 \\ 0.950 \end{array}$ |
|  |  |  |  |  |  | 99.5\% |  |  | Std Dev |  |  |  | 0.8494778 |  |
|  |  |  |  |  |  |  | 97.5\% |  | 4.6 | Std Err Mean |  |  | 0.0871546 |  | Std Dev |
|  |  |  |  |  |  | 90.0\% |  | 2.4 | Upper 95\% Mean | 1.5309422 |  |  |  |  |  |  |
|  |  |  |  |  |  | 75.0\% | quartile | 1 | Lower 95\% Mean | 1.1848473 |  |  |  |  |  |  |
|  |  |  |  |  |  | 50.0\% | median | 1 | N | 95 |  |  |  |  |  |
|  |  |  |  |  |  | 25.0\% | quartile | 1 |  |  |  |  |  |  |  |
|  |  |  |  |  |  | 10.0\% |  | 1 |  |  |  |  |  |  |  |
|  |  |  | 7 |  |  | 2.5\% |  | 1 |  |  |  |  |  |  |  |
| 12 | 2 | 3 | 4 | 5 | 6 | 0.5\% |  | 1 |  |  |  |  |  |  |  |
|  |  |  |  |  |  | 0.0\% | minimum | 1 |  |  |  |  |  |  |  |

The confidence interval for a sample size 95 at $95 \%$ is (1.1848, 1.5309)


Population mean $=$ 1.49 Sample mean $=1.36$
Sampling Error $=1.36-1.49=-0.13$

HYPOTHESIS TESTING

## DO STUDENTS WHOSE PARENTS LIVE TOGETHER

 (PSTATUS) GET BETTER GRADES?| Grades based on Pstatus: <br> u1 = Parents Together (T); u2 = Parents Apart (A) |  | Alpha $=0.05$ |
| :---: | :---: | :---: |
| Ho: u1 = u2 |  |  |
| Ha: u1 > u2 |  |  |
| Alpha $=0.05$ |  |  |
| Random sample size=95 |  |  |
| t-Test: Two-Sample Assuming Unequal Variances |  |  |
|  | Pstatus $=T$ | Pstatus = A |
| Mean | 11.09638554 | 11.5 |
| Variance | 14.5271819 | 5.90909091 |
| Observations | 83 | 12 |
| Hypothesized Mean Difference | 0 |  |
| df | 20 |  |
| t Stat | -0.494034381 |  |
| $P(T<=t)$ one-tail | 0.313332065 |  |
| t Critical one-tail | 1.724718243 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.62666413 |  |
| t Critical two-tail | 2.085963447 |  |
| Decision: Failed to Reject the Null Hypothesis |  |  |
|  |  |  |
| Entire Population |  |  |
| t-Test: Two-Sample Assuming Unequal Variances |  |  |
|  | Pstatus = T | Pstatus = A |
| Mean | 11.2990 | 11.6694 |
| Variance | 15.1773 | 13.0898 |
| Observations | 923.0000 | 121.0000 |
| Hypothesized Mean Difference | 0.0000 |  |
| df | 159.0000 |  |
| t Stat | -1.0492 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.1478 |  |
| t Critical one-tail | 1.6545 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.2957 |  |
| t Critical two-tail | 1.9750 |  |
| Decision: Failed to Reject the Null Hypothesis |  |  |
| The T Test for the sample data and the entire population indicates that there is not enough evidence to prove students whose parents live together performed better on their final grades than students who did not. |  |  |



|  | Internet = Yes | Internet = No |
| :--- | ---: | ---: |
| Mean | 11.26760563 | 10.79167 |
| Variance | 14.1416499 | 11.47645 |
| Observations | 71 |  |
| Hypothesized Mean Difference | 0 |  |
| df | 44 |  |
| t Stat | 0.578282901 |  |
| P(T<=t) one-tail | 0.283010696 |  |
| t Critical one-tail | 2.414134368 |  |
| P(T<=t) two-tail | 0.566021392 |  |
| t Critical two-tail | 2.692278266 |  |
| Decision: Failed to Reject the Null Hypothesis |  |  |

## Entire Population

t-Test: Two-Sample Assuming Unequal Variances

|  | Internet = Yes | Internet = No |
| :--- | ---: | ---: |
| Mean | 11.55380895 | 10.53456 |
| Variance | 14.75829964 | 14.86107 |
| Observations | 827 | 217 |
| Hypothesized Mean Difference | 0 |  |
| df | 337 |  |
| t Stat | 3.468957918 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.0003 |  |
| t Critical one-tail | 2.337463916 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.0006 |  |
| t Critical two-tail | 2.590496576 |  |
| Decision: Reject the Null Hypothesis |  |  |
| The T-test for the sample data fails to reject the null whereas the T-test on the entire the <br> population shows suggested to reject the hypothesis that students with internet access get <br> better grades than students without internet access. This is a Type I error or false positive. |  |  |


t-Test: Two-Sample Assuming Unequal Variances

|  | Math Grade GP | Math Grade MS |  |  |  |
| :--- | ---: | ---: | :---: | :---: | :---: |
| Mean | 10.48997135 | 9.847826 |  |  |  |
| Variance | 21.39429569 | 17.95411 |  |  |  |
| Observations | 349 | 46 |  |  |  |
| Hypothesized Mean Difference | 0 |  |  |  |  |
| df | 60 |  |  |  |  |
| t Stat | 0.955547525 |  |  |  |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.171567561 |  |  |  |  |
| t Critical one-tail | 1.295821094 |  |  |  |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.343135123 |  |  |  |  |
| t Critical two-tail | 1.670648865 |  |  |  |  |
| Decision: Failed Reject the Null Hypothesis |  |  |  |  |  |
| The T-test for the sample data and the entire population shows there is not enough |  |  |  |  |  | (DALC) GET WORSE GRADES?

Grades based on Dalc: u1 = Levels 1-2; u2 = Levels 3-5
Alpha $=0.05$
Ho: $u 1=u 2$
Ha: u1 > u2

Random sample size= 95
t-Test: Two-Sample Assuming Unequal Variances

|  | Levels 1-2 | Levels 3-5 |
| :--- | ---: | ---: |
| Mean | 11.1627907 | 11 |
| Variance | 14.5378933 | 2.75 |
| Observations | 86 |  |
| Hypothesized Mean Difference | 0 |  |
| df | 19 |  |
| t Stat | 0.23630088 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.407863956 |  |
| t Critical one-tail | 1.729132812 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.815727913 |  |
| t Critical two-tail | 2.093024054 |  |
| Decision: Fail to Reject the Null Hypothesis |  |  |
|  |  |  |
| Entire Population |  |  |
| t -Test: Two-Sample Assuming Unequal Variances |  |  |


|  | Levels 1-2 | Levels 3-5 |
| :--- | ---: | ---: | ---: |
| Mean | 11.46045504 | 10.43801653 |
| Variance | 15.42441064 | 10.3815427 |
| Observations | 923 | 121 |
| Hypothesized Mean Difference | 0 |  |
| df | 170 |  |
| t Stat | 3.193420478 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.000837779 |  |
| t Critical one-tail | 1.653866317 |  |
| $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.001675559 |  |
| t Critical two-tail | 1.974016708 |  |
| Decision: Reject the Null Hypothesis |  |  |
| The T-Test for the sample data indicates that students who consume high levels of alcohol as defined <br> by levels 3-5 performed the same on their final grades as students who did not. Interestingly, when the <br> test is run for the entire population, a student who consumes high levels of alcohol as defined by levels <br> 3-5 did perform worse on their final grades than students who did not. We get a Type II error or false <br> negative. |  |  |


| 5 | DO STUDENTS, WHO ATTENDED NURSERY SCHOOL (NURSERY) GET BETTER GRADES? |  |  |
| :---: | :---: | :---: | :---: |
|  | Grades based on Nursery:u1 = Yes; u2 = No |  | Alpha $=0.05$ |
|  |  |  |  |
|  | Ho: $u 1=u 2$ |  |  |
|  | Ha: u1 > u 2 |  |  |
|  | Random sample size $=95$ |  |  |
|  | t-Test: Two-Sample Assuming Unequal Variances |  |  |
|  |  | Nursery = Yes | Nursery = No |
|  | Mean | 11.6901 | 9.5417 |
|  | Variance | 11.4455 | 16.2591 |
|  | Observations | 71 | 24 |
|  | Hypothesized Mean Difference | 0 |  |
|  | df | 35 |  |
|  | t Stat | 2.3460 |  |
|  | $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.0124 |  |
|  | t Critical one-tail | 1.6896 |  |
|  | $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.0248 |  |
|  | t Critical two-tail | 2.0301 |  |
|  | Decision: Reject the Null Hypothesis |  |  |
|  |  |  |  |
|  | Entire Population |  |  |
|  | t-Test: Two-Sample Assuming Unequal Variances |  |  |
|  |  | Nursery = Yes | Nursery = No |
|  | Mean | 11.4192 | 11.0335 |
|  | Variance | 15.0927 | 14.2633 |
|  | Observations | 835 | 209 |
|  | Hypothesized Mean Difference | 0 |  |
|  | df | 327 |  |
|  | t Stat | 1.3127 |  |
|  | $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ one-tail | 0.0951 |  |
|  | t Critical one-tail | 1.6495 |  |
|  | $\mathrm{P}(\mathrm{T}<=\mathrm{t})$ two-tail | 0.1902 |  |
|  | t Critical two-tail | 1.9672 |  |
|  | Decision: Fail to Reject the Null Hypothesis |  |  |
|  | The T-Test for the sample data indicates that students who attended Nursery schools performed better on their final grades than students who did not. Interestingly, when the test is run for the entire population, there is no significant difference in mean scores. The sample HT gave us a Type I error also called a false positive. |  |  |

